## SMD Resistor Codes

How to calculate or Find the value of SMD Resistors?
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## SMD resistor: Surface Mount Technology

SMD Resistor stands for "Surface Mount device" (Taken out from SMT = Surface Mount Technology) Resistor. These tiny chips are marked with three (3) or four (4) digit codes which is called SMD Resistor codes to indicate their resistance values. Below are the roles to follow for that how to read SMD Resistor codes and values? Also read:

- How to find the value of burnt Resistor (by three handy methods)
- How to calculate the value of resistor for LED's (with different types of LED's circuits)


## Reading 3-Digit SMD Resistor Codes (for SMD Resistors)

- The first, Two (2) digits or numbers will indicate the significant digits or numbers
- The third one will be multiplier (in Power of Ten i.e. $10^{\wedge}$ something) and then must be multiply by the first Two (2) significant digits or number or the third one will indicate that how many Zeros should be add to the first Two (2) significant digits or number
- The letter " $R$ " is used for Decimal Point "." i.e. $1.1 \Omega=1 R 1 \Omega$
- Resistances below 10 ohms ( $\Omega$ ) do not have a multiplier


## Examples of 3-Digit SMD Resistor Codes

$250=25 \times 10^{0}=25 \times 1=25 \Omega$ (This is only and only $25 \Omega$ not $250 \Omega$ )
$100=10 \times 10^{0}=10 \times 1=10 \Omega$
$721=72 \times 10^{1}=72 \times 10=720 \Omega$
$102=10 \times 10^{2}=10 \times 100=1000 \Omega$ or $1 \mathrm{k} \Omega$
$915=91 \times 10^{5}=91 \times 100000=9,100,000 \Omega=9.1 \mathrm{M} \Omega$
$4 R 7=4.7 \Omega$
$R 12=0.12 \Omega$

- Required Value of Resistor for LED's Circuit Calculator
- Standard Resistor Closest Value Calculator


## Reading 4-Digit SMD Resistor Codes (for SMD Resistors)

There is nothing new but this is the same method to read the value of SMD resistors.
The only difference is that with the significant numbers. I copied the above method (3-Digit Codes) and then past here so you can see that only First one is changed and other three rules are same.

- The first, Two (3) digits or numbers will indicate the significant digits or numbers
- The fourth one will be multiplier (in Power of Ten i.e. $10^{\wedge}$ something) and then must be multiply by the first Two (3) significant digits or number or the fourth one will indicate that how many Zeros should be add to the first Two (2) significant digits or number
- The letter " $R$ " is used for Decimal Point "." i.e. $11.5 \Omega=11 R 5 \Omega$ (4-digit SMD resistors (E96 series)
- Resistances below 10 ohms ( $\Omega$ ) do not have a multiplier
- Also read: Resistor \& Types of Resistors


## Examples of 4-Digit SMD Resistor Codes

$2500=250 \times 10^{\circ}=250 \times 1=250 \Omega$ (This is only and only $250 \Omega$ not $2500 \Omega$ )
$1000=100 \times 10^{0}=100 \times 1=100 \Omega$
$7201=720 \times 10^{1}=720 \times 10=7200 \Omega$ or $7.2 \mathrm{k} \Omega$
$1001=100 \times 10^{1}=100 \times 10=1000 \Omega$ or $1 \mathrm{k} \Omega$
$1004=100 \times 10^{4}=100 \times 10000=1000,000 \Omega$ or $1 \mathrm{M} \Omega$
R102 $=0.102 \Omega$ (4-digit SMD resistors (E96 series)
OR10 $=0.1 \times 10^{0}=0.1 \times 1=0.1 \Omega$ (4-digit SMD resistors (E24 series)
$25 R 5=25.5 \Omega$ (4-digit SMD resistors (E96 series))

## Reading EIA-96 SMD Resistor Codes (for SMD Resistors)

EIA-96 SMD Resistor Codes marking method is a new method which appeared on $1 \%$ of all SMD resistors. It consists on 3-Character codes.
Below are the rules to follow for reading the value of EIA-96 SMD resistors.

- The first, Two (2) digits or numbers will indicate the significant digits or numbers
- The third one "Letter" is a multiplier (in Power of Ten i.e. $10^{\wedge}$ something) and then must be multiply by the first Two (2) significant digits.
- Must follow the codes in Table (1) and (2)

Below is the table (1) to shows the multiplier values of different Letters using in EIA96 coding system for SMD Resistor Codes.

| Table (1) |  |
| :--- | :--- |
| Letters | Multipliers |
| Z | 0.001 |
| R or Y | 0.01 |
| S or X | 0.1 |
| A | 1 |
| B or H | 10 |


| $\mathbf{C}$ | 100 |
| :--- | :--- |
| $\mathbf{D}$ | 1000 |
| $\mathbf{E}$ | 10000 |
| F | 100000 |

Also, look in the examples of reading EIA-96 SMD Resistor Codes for importance the use of table (2)
Table (2)...
Table (2)

| Code | Value | Code | Value | Code | Value | Code | Value |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 01 | 100 | 25 | 178 | 49 | 316 | 73 | 562 |
| 02 | 102 | 26 | 182 | 50 | 324 | 74 | 576 |
| 03 | 105 | 27 | 187 | 51 | 332 | 75 | 590 |
| 04 | 107 | 28 | 191 | 52 | 340 | 76 | 604 |
| 05 | 110 | 29 | 196 | 53 | 348 | 77 | 619 |
| 06 | 113 | 30 | 200 | 54 | 357 | 78 | 634 |
| 07 | 115 | 31 | 205 | 55 | 365 | 79 | 649 |
| 08 | 118 | 32 | 210 | 56 | 374 | 80 | 665 |
| 09 | 121 | 33 | 215 | 57 | 383 | 81 | 681 |
| 10 | 124 | 34 | 221 | 58 | 392 | 82 | 698 |
| 11 | 127 | 35 | 226 | 59 | 402 | 83 | 715 |
| 12 | 130 | 36 | 232 | 60 | 412 | 84 | 732 |
| 13 | 133 | 37 | 237 | 61 | 422 | 85 | 750 |
| 14 | 137 | 38 | 243 | 62 | 432 | 86 | 768 |
| 15 | 140 | 39 | 249 | 63 | 442 | 87 | 787 |
| 16 | 143 | 40 | 255 | 64 | 453 | 88 | 806 |
| 17 | 147 | 41 | 261 | 65 | 464 | 89 | 825 |
| 18 | 150 | 42 | 267 | 66 | 475 | 90 | 845 |
| 19 | 154 | 43 | 274 | 67 | 487 | 91 | 866 |
| 20 | 158 | 44 | 280 | 68 | 499 | 92 | 887 |
| 21 | 162 | 45 | 287 | 69 | 511 | 93 | 909 |
| 22 | 165 | 46 | 294 | 70 | 523 | 94 | 931 |
| 23 | 169 | 47 | 301 | 71 | 536 | 95 | 953 |
| 24 | 174 | 48 | 309 | 72 | 549 | 96 | 976 |

## Examples of EIA-96 SMD Resistor Codes

$01 \mathrm{~F}=10 \mathrm{M}$
$01 \mathrm{E}=1 \mathrm{M} \Omega$
$01 \mathrm{C}=10 \mathrm{k} \Omega$
$01 \mathrm{~B}=1 \mathrm{k} \Omega$
$01 A=100 \Omega$
$01 X=10 \Omega$
$01 \mathrm{Y}=1 \Omega$
$66 \mathrm{X}=475 \times 0.1=47.5 \ldots \rightarrow$ (in table (2), $66=475$ and in table $(1), X=0.1$. so $475 x$ $0.1=47.1 \Omega$ )
$85 Z=750 \times 0.001=0.75 \Omega \rightarrow$ (in table (2), $85=750$ and in table (1), $Z=0.001$. so $750 \times 0.001=0.75 \Omega$ )
$36 \mathrm{H}=232 \times 10=2320 \Omega=2.32 \mathrm{k} \Omega \rightarrow$ (in table (2), $36=232$ and in table (1), $\mathrm{H}=10$. so $232 \times 10=2.32 \mathrm{k} \Omega$ )

